

Periodic table as a Binary table for Drug Encryption

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Abstract:

Modern living styles and change in food habits have led to new diseases and this number is getting multiplied. Research regarding finding medicines for these diseases is in active process and new drugs get released in market frequent. In developing these new drugs communicating details of these findings cannot be avoided. Any drug is best represented using its molecular formula. In this paper we have developed a new binary periodic table and hence use this for encrypting details about any drug.

Keywords: periodic table, molecular formula, binary string, encryption.

Introduction

In cryptography, encryption is the process of encoding messages or information in such a way that only authorized parties can read it. Encryption doesn't prevent hacking but it reduces the likelihood that the hacker will be able to read the data that is encrypted. In an encryption scheme, the message or information, referred to as plaintext, is encrypted using an encryption algorithm, turning it into an unreadable ciphertext. This is usually done with the use of an encryption key, which specifies how the message is to be encoded. Any adversary that can see the ciphertext should not be able to determine anything about the original message. An authorized party, however, is able to decode the ciphertext using a decryption algorithm, that usually requires a secret decryption key, that adversaries do not have access to. For technical reasons, an encryption scheme usually needs a key – generation algorithm to randomly produce keys (1).

The periodic table of the chemical elements is a table that displays all known chemical elements in a systematic way. The elements in the periodic table are ordered by their atomic number (Z) and are arranged in periods (horizontal rows) and groups (vertical columns). The layout of the periodic table is designed to illustrate periodic trends, similarities and differences in the properties of the elements (2).

Periodic Table of the Elements

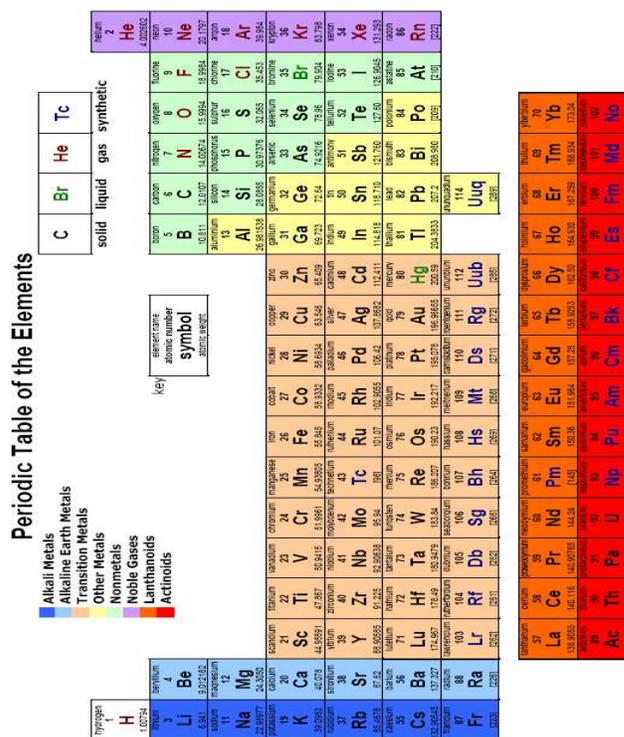


Table 1

Materials and Methods

Insertion Method

In (3), H.J. Shiu et al introduced the insertion method, which is wide use now. A snapshot (3) of insertion method is given below.

Method 1: The Insertion Method

To simplify the discussion, the most basic version is outlined and a simple example is given. The more complicated version of the method will be presented after the basic one is explained. All of the methods use a reference sequence s suppose the secret message M is 01001100. Let S be ACGGTTCCAATGC. The method works as follows:

Step 1: Code S into a binary sequence by using the binary coding rule. Thus the sequence s will now become 000110101111101010000111001.

Step 2: Divide S into segments, whereby each segment contains k bits. Suppose k is 3. Then there are the following segments: 0000, 110, 101, 111, 010, 100, 001, 110, 01.

Step 3: Inserts bits from M , one at a time, into the beginning of segments of S . The result is as follows: 000, 1110, 0101, 0111, 1010, 1100, 0001, 0110, 01. Those segments without any secret message inserted should be ignored. Thus, there are the following binary sequence: 00001110010101111010110000010110.

Step 4: Use the inverse function of the binary coding rule to produce the following faked DNA sequence: $S' = \text{AATGCCCTGGTAACCG}$. As the reader can see, this sequence is quite different from S .

Step 5: Send the above sequence S' to the receiver.

Binary Conversion

In mathematics and digital electronics, a binary number is a number expressed in the binary

numeral system, or base - 2 numeral system, which represents numeric values using two different symbols: typically 0 (zero) and 1 (one). More specifically, the usual base - 2 system is a positional notation with a radix of 2. Because of its straightforward implementation in digital electronic circuitry using logic gates, the binary system is used internally by almost all modern computers and computer-based devices such as mobile phones (4).

Replace each atomic number into binary representation.

2^7	2^6	2^5	2^4	2^3	2^2	2^1	2^0
↓	↓	↓	↓	↓	↓	↓	↓
128	64	32	16	8	4	2	1

Results and Discussion

In this section we have provide a construction of binary table and hence use it for encrypting details about any exiting drug or any new finding.

Construction of Binary Periodic Table

We can use any one of the values either atomic number or atomic weight of the chemical elements for binary conversion. We shall construct a table based on the chemical element's atomic numbers. Using the usual periodic table 1 as the base table we generate the following binary table.

Binary Periodic Table of the Elements

		Key		atomic number		symbol		Binary Conversion	
Alkali Metals	Alkaline Earth Metals	Transition Metals	Other Metals	Nonmetals	Noble Gases	Lanthanoids	Actinoids		
1	2	3	4	5	6	7	8	9	10
H	He	Li	Be	B	C	N	O	F	Ne
000001	000010	000011	000100	000101	000110	000111	001000	001001	001010
11	12	13	14	15	16	17	18	19	20
Na	Mg	Al	Si	P	S	Cl	Ar	K	Ca
000101	000110	000111	001000	001001	001010	001011	001100	001101	001110
21	22	23	24	25	26	27	28	29	30
K	Ca	Sc	Ti	V	Cr	Mn	Fe	Co	Ni
001011	001100	001101	001110	001111	010000	010001	010010	010011	010100
31	32	33	34	35	36	37	38	39	40
Rb	Sr	Y	Zr	Nb	Mo	Tc	Ru	Rh	Pd
001101	001110	001111	010000	010001	010010	010011	010100	010101	010110
41	42	43	44	45	46	47	48	49	50
Cs	Ba	La	Hf	Ta	W	Re	Os	Ir	Pt
010001	010010	010011	010100	010101	010110	010111	011000	011001	011010
51	52	53	54	55	56	57	58	59	60
Fr	Ra	Lr	Rf	Db	Sg	Bh	Hs	Mt	Ds
011001	011010	011011	011100	011101	011110	011111	011200	011201	011210
61	62	63	64	65	66	67	68	69	70
Er	Ce	Pr	Nd	Pm	Sm	Eu	Gd	Tb	Dy
011211	011300	011301	011310	011311	011400	011401	011410	011411	011500
71	72	73	74	75	76	77	78	79	80
Lu	Hf	Ta	W	Re	Os	Ir	Pt	Au	Hg
011501	011510	011511	011600	011601	011610	011611	011700	011701	011710
81	82	83	84	85	86	87	88	89	90
Tl	Pb	Bi	Po	At	Rn	Fr	Ra	Ac	Th
011711	011800	011801	011810	011811	011900	011901	011910	011911	012000
91	92	93	94	95	96	97	98	99	100
Pa	U	Np	Pu	Am	Cm	Bk	Cf	Es	Fm
012001	012010	012011	012100	012101	012110	012111	012200	012201	012210
101	102	103	104	105	106	107	108	109	110
Uuq	Uub	Uuc	Uud	Uue	Uuf	Uug	Uuh	Uui	Uuj
012211	012300	012301	012310	012311	012400	012401	012410	012411	012500

Table 2

Converting Molecular Formula to Binary String

Any molecular formula is a combination of chemical elements and numbers. We use this molecular formula for generating a binary string of the drug. A numerical value in the chemical formula represents the number of times the chemical element occurs in the drug. We replace the numbers by the original chemical elements itself. For example Na_3Cl_2 is replaced by NaNaNaClCl . Then we replace each elements by its corresponding 8 bit code. In the above example from Table 2 Na is replaced by 11 11 11 and Cl by 17 17 17 to obtain the binary string 0001011 0001011 0001011 00010001 00010001.

Encryption algorithm

Step 1: Let S be the molecular formula for any drug.

Step 2: Convert S into S_1 as explained in section 3.2

Step 3: Replace each chemical element by its corresponding binary string S_2 using Table – 2.

Step 4: Obtain a new binary string S_3 using the insertion method explained in section 2.1.

Step 5: Send S_3 to the receiver.

By reversing the procedure we can decrypt the binary string into its corresponding chemical formula for the particular drug.

Example:

Consider a random binary string

M:

```
000001110110110101110101010101000001110001
1001100000111110101010110000101111110000011
01010100100110110111000010000001111011011000
11110110101000000110101011011010101010101000
001110000011011110111000000001111000000000.
```

Consider a chemical formula of Aciclovir: $\text{C}_8\text{H}_{11}\text{N}_5\text{O}_3$ to be encoded. Rewrite the chemical formula as follows

S: CCCCCCCHHHHHHHHHHNNNNNOOO

Convert each chemical element into its corresponding atomic numbers.

S1: 6666661111111111111177777888

By using Table 2 convert S1 into S2

S2:

```
00000110 00000110 00000110 00000110 00000110
00000110 00000110 00000110 00000001 00000001
00000001 00000001 00000001 00000001 00000001
00000001 00000001 00000001 00000001 00000111
00000111 00000111 00000111 00000111 0001000
0001000 0001000
```

We now use the insertion method to insert string S2 into M. We divide M into segments of length $k = 1$ and insert S2.

```
0000000001111100010100010110110001010100011
011000100010100111000000000001111100000010
10010110100000000001111010101000100111001000
10100000000110001010101011000000000001011
```

00100010001000110000001010001011010101000000
 000110000000000010111010001010001011000001
 0101010011010001000100001000000010100011001
 00010100111110010001000110111001000100001010
 10010101000010101001010001011111100101010010
 000000 000000011101010 0000000010000000.

Note that the red color numbers represents the original one.

So the given drug can be encrypted as follows and send S3 to the receiver

S3:

00000000001111100010100010110110001010100011
 0110001000101001110000000000011111000000010
 10010110100000000001111010101000100111001000
 1010000000011000101010101011000000000001011
 00100010001000110000001010001011010101000000
 0001100000000000101110100010100010110000001
 0101010011010001000100001000000010100011001
 00010100111110010001000110111001000100001010
 10010101000010101001010001011111100101010010
 000000 000000011101010 0000000010000000.

Suppose the received message is

1000010101111101010101010010100000000000001
 01101010000000011110000010000011111010001000
 10011100000010100011011000001000101111100000
 00000011111010100010001101100000101010011110
 1010101010000001000000000000001000010101010
 10110010000010000011001000001000100110100010
 10101001000010000010000110101010101000010000
 10101010000110100000100000011000101010000001
 10001000100010010010101010101001000010001010
 00010010000000100001100000100001110110100000
 1100001000001000011010100

Collect only red color numbers alone

00000110000001100000011000000110000001100000
 01100000011000000110000001100000011000000110
 00000001000000010000000100000001000000010000

00010000000100000001000000010000000100000001
 00000001000000010000000100000001000001110000
 100000001000

Split the binary string into 8 bit string

00000110 00000110 00000110 00000110 00000110
 00000110 00000110 00000110 00000110 00000110
 00000110 00000001 00000001 00000001 00000001
 00000001 00000001 00000001 00000001 00000001
 00000001 00000001 00000001 00000001 00000001
 00000001 00000111 00001000 00001000

By using Table 2 convert each bit into atomic numbers.

6 6 6 6 6 6 6 6 6 6 1 1 1 1 1 1 1 1 1 1 1 1 1 1 7 8 8

Again by using Table 2, convert atomic numbers into its corresponding chemical elements

CCCCCCCCCCHHHHHHHHHHHHHHHHHHNOO

Obtain the required chemical formula

C11H15NO2

From this we can obtain the original chemical formula for MDMA (3,4-methylenedioxy-N-methylamphetamine).

Conclusion

A binary string can be of any length and numerous binary strings are available in public domain. So it is difficult to find the difference between a fake binary string and the encrypted one. We have used insertion method. So all the advantages of encrypting a message using this method applies here also. Moreover since each chemical element is converted into a binary string, it is difficult for anyone to guess this as a chemical formula since a periodic table using binary string is not in use.

References

- 1) <http://en.wikipedia.org/wiki/Encryption>.

- 2) <http://www.webqc.org/periodictable.php>
- 3) Shiu H.J, Ng K.L, Fang J.F, Lee R.C.T, Huang C.H. Data hiding methods based upon DNA sequences, Information Sciences 2010; 180: 2196 – 2208.
- 4) http://en.wikipedia.org/wiki/Binary_number.

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